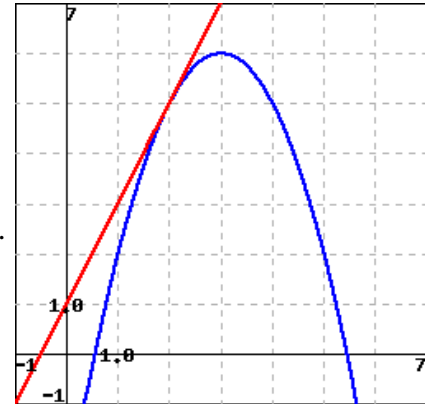


Chapter 2 Review

- (Lesson 2.1)** The image shows the graph of $y = f(x)$.
 - An estimate of $f(2)$ is _____.
 - An estimate of $f'(2)$ is _____.
 - Find the point-slope form of the tangent line at $x = 2$.
 - Find the slope-intercept form of the tangent line at $x = 2$.
 - (Lesson 2.5)** Use the tangent line to approximate $f(2.2)$.



- (Lesson 2.1)** Find the derivative of each quadratic function.
 - If $f(x) = ax^2 + bx + c$, then $f'(x) = \underline{\hspace{2cm}}$.
 - If $g(t) = -9t^2 + 3t + 41$, then $g'(t) = \underline{\hspace{2cm}}$.**(Lesson 2.3)** Find the derivative of each cubic function.
 - If $f(x) = ax^3 + bx^2 + cx + d$, then $f'(x) = \underline{\hspace{2cm}}$.
 - If $h(w) = -5w^3 - 21w^2 + 2w + 1$, then $h'(w) = \underline{\hspace{2cm}}$.
- (Lesson 2.2)** The profit in thousands of dollars for a computer company is given by the function $P(x) = -x^2 + 12x - 10$, where x is thousands of units produced. (For example, $P(2) = 10$ means that the profit is 10 thousand dollars when 2 thousand units are produced.)
 - Determine how many thousands of units must be produced to yield maximum profit.
 - Determine the maximum profit.
- (Lesson 2.3)**
 - Write down the limit definition of the derivative function of f .
 - Use the definition of the derivative to compute the derivative of $f(x) = 8x^2 - 5$. Check your answer by using the derivative formula for a quadratic.
- (Lesson 2.4)** Suppose that a vehicle travels north and south according to the equation $s(t) = 2t^3 - 12t^2 - 1$, where s is miles and t is hours. Assume that north is positive and south is negative. Also assume that time t can be any real number, including negative ones.
 - Compute the velocity function v and the acceleration function a , find their zeros, and perform number-line sign tests.
 - List all the times at which the vehicle is at rest.
 - Use interval notation to indicate when the vehicle is traveling north (i.e., when s is increasing.)
 - Use interval notation to indicate when the vehicle is traveling south (i.e., when s is decreasing.)
 - Use interval notation to indicate when the acceleration of the vehicle is positive (i.e., when s is concave up.)

- (f) Use interval notation to indicate when the acceleration of the vehicle is negative (i.e., when s is concave down.)
- (g) Use interval notation to indicate when the vehicle is speeding up (i.e., when v and a have the same sign.)

6. **(Lesson 2.5)** The edge of a cube was measured as 15 cm with a possible error in measurement of ± 0.12 cm.
- (a) Estimate the propagated and relative errors in the calculated volume of the cube.
 - (b) Estimate the propagated and relative errors in the calculated surface area of the cube.

7. **(Lesson 2.6)** Evaluate the following indefinite integrals:

(a) $\int m dx = \underline{\hspace{2cm}}$	(d) $\int 4.3 dx = \underline{\hspace{2cm}}$
(b) $\int (ax + b) dx = \underline{\hspace{2cm}}$	(e) $\int (4t - 7) dt = \underline{\hspace{2cm}}$
(c) $\int (ax^2 + bx + c) dx = \underline{\hspace{2cm}}$	(f) $\int (-8.1v^2 + 1.6v + 2.2) dv = \underline{\hspace{2cm}}$

8. **(Lesson 2.6)** Evaluate the following definite integrals using the Fundamental Theorem of Calculus:

- (a) $\int_2^7 (-3x + 4) dx = \underline{\hspace{2cm}}$
- (b) $\int_{-6}^{-2} (-6.81u - 2.3) du = \underline{\hspace{2cm}}$

9. **(Lesson 2.6)** A stone is thrown straight up from the edge of a roof, 120 meters above the ground, at a speed of 13 m/s. Recall that the acceleration due to gravity is -9.81 m/s². All answers require units.

- (a) Find the equation for the object's velocity using the relationship $v = \int (-9.81) dt$, remembering that the initial velocity is 13 meters per second.
- (b) Find the equation for the object's position using the relationship $s = \int v dt$, remembering that the initial position is 120 meters.
- (c) At what time does the stone hit the ground?
- (d) What is the velocity of the stone when it hits the ground?

10. **(Lesson 2.6)** Consider the definite integral $\int_1^{3.4} 2x^3 dx$. Estimate the integral using left-hand and right-hand approximations using 4 subintervals of width $\Delta x = \underline{\hspace{1cm}}$:

$$L_4 = (\underline{\hspace{1cm}} + \underline{\hspace{1cm}} + \underline{\hspace{1cm}} + \underline{\hspace{1cm}}) \cdot \underline{\hspace{1cm}} = \underline{\hspace{2cm}}$$

$$R_4 = (\underline{\hspace{1cm}} + \underline{\hspace{1cm}} + \underline{\hspace{1cm}} + \underline{\hspace{1cm}}) \cdot \underline{\hspace{1cm}} = \underline{\hspace{2cm}}$$