



## Quiz 1.5 – Rectilinear Motion

1. (1 point) —alfredLibrary/AUCI/chapter1/lesson5/quiz/question1p.pg—  
**True or False:** Type 't' for True or 'f' for False. Notice that your number of attempts is limited.

Suppose an object is moving in rectilinear motion.

\_\_\_ (a) The displacement and the total distance traveled are always equal.

\_\_\_ (b) The velocity and the speed are always equal.

\_\_\_ (c) If the velocity and acceleration have the same sign, then the object is speeding up.

\_\_\_ (d) If the velocity and acceleration have different signs, then the object is slowing down.

\_\_\_ (e) The velocity of the object at a given time is equal to the slope of the position curve at that time.

\_\_\_ (f) The acceleration of the object at a given time is equal to the derivative of the velocity at that time.

2. (1 point) —alfredLibrary/AUCI/chapter1/lesson5/quiz/question3.pg—

(Include **units** with your answers. Enter (without quotes) 'ft' for feet, 's' for seconds, and 's<sup>2</sup>' for square seconds.)

If the position of an object is given by  $s(t) = -67t + 7$  feet, then at  $t = 6$  seconds,

(a) the velocity of the object is \_\_\_\_\_,

(b) the speed of the object is \_\_\_\_\_, and

(c) the acceleration of the object is \_\_\_\_\_.

3. (1 point) —alfredLibrary/AUCI/chapter1/lesson5/ball39pet.pg—

For this problem, upward will be considered the positive direction. The acceleration due to gravity is  $-9.81 \frac{m}{s^2}$ .

(a) The general equation for the velocity of an object tossed upward is

$$v(t) = \int \text{---} = \text{---} \text{ m/s}$$

(b) If a ball is tossed upward with initial velocity  $34 \frac{m}{s}$ , then we can find the unknown constant  $C$ . In this case, the velocity function is

$$v(t) = \text{---} \text{ (Include **units**.)}$$

(c) The net change in the ball's velocity from time 1.5 s to time 3.25 s is (include **units** in the last blank)

$$v(\text{---}) - v(\text{---}) = \text{---} \int \text{---} \text{---} = \text{---}$$

(d) To find the time at which the ball reaches its maximum height, we must solve the equation  $\text{---} = 0$ . Therefore, the maximum height occurs at  $t = \text{---}$  (Include **units**).