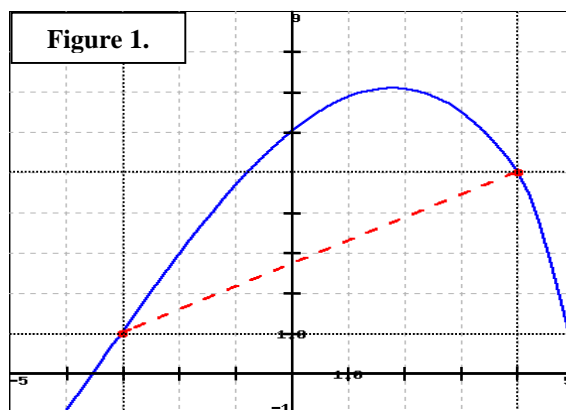


Chapter 1 Review

1. **(Lesson 1.1)** Let $S(t)$ be the amount of sales in dollars by a small business during the t -th week after January 1. Suppose sales on January 1 were 8044 dollars and sales 6 weeks later were 5200 dollars. Compute the following over the time interval $[0, 6]$. Include units in each answer.
- (a) $\Delta t = \underline{\hspace{2cm}}$ (b) $\Delta S = \underline{\hspace{2cm}}$ (c) $\frac{\Delta S}{\Delta t} = \underline{\hspace{2cm}}$
- (d) Use the average rate of change in Part (c) to estimate the sales during the 4th week after January 1. That is, estimate $S(4)$.

2. **(Lesson 1.2)** The graph of a function is given in Figure 1.



- (a) Determine the average rate of change of the function between the indicated points.
- (b) Find a point-slope form $y - y_0 = m(x - x_0)$ of the secant line between the indicated points. Use the left-hand point as (x_0, y_0) .
- (c) Find the slope-intercept form $y = mx + b$ of the secant line between the indicated points.

3. **(Lesson 1.3)** Suppose b is a real constant.

- (a) If $f(x) = b$, then $f'(x) = \underline{\hspace{2cm}}$.
- (b) If $g(x) = 25$, then $g'(x) = \underline{\hspace{2cm}}$.
- (c) If $h(x) = -0.13$, then $h'(x) = \underline{\hspace{2cm}}$.

4. **(Lesson 1.3)** Suppose m and b are real constants.

- (a) If $f(x) = mx + b$, then $f'(x) = \underline{\hspace{2cm}}$.
- (b) If $g(x) = 8x - 5$, then $g'(x) = \underline{\hspace{2cm}}$.
- (c) If $h(x) = 44 - x$, then $h'(x) = \underline{\hspace{2cm}}$.

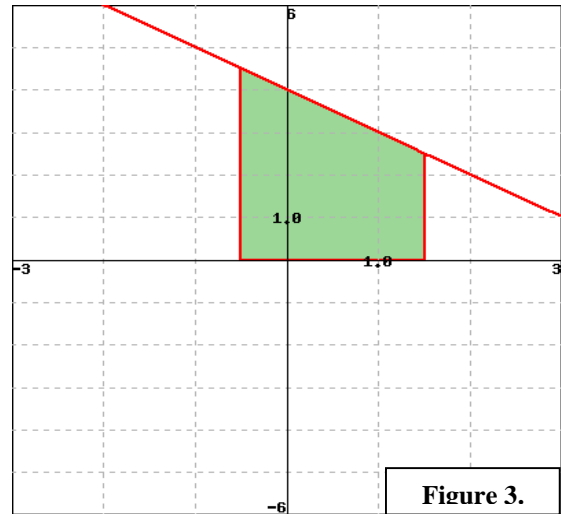
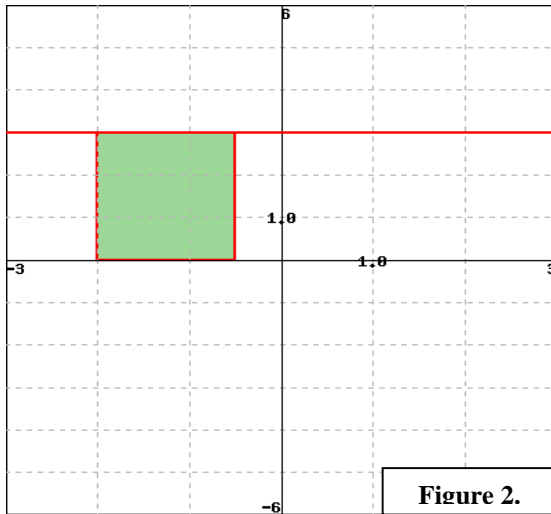
5. **(Lesson 1.3)** If the position of an object is given by $s(t) = -35t + 8$ ft, then at $t = 3$ seconds,

- (a) the velocity of the object is $\underline{\hspace{2cm}}$,
- (b) the speed of the object is $\underline{\hspace{2cm}}$, and
- (c) the acceleration of the object is $\underline{\hspace{2cm}}$.

6. **(Lesson 1.4)** For each pair of integrals, find the family of antiderivatives, and then use the Fundamental Theorem of Calculus to evaluate the definite integral.

- (a) $\int 12 \, dx = \underline{\hspace{2cm}}$ (b) $\int -3 \, dx = \underline{\hspace{2cm}}$
- $\int_{-1}^2 12 \, dx = \underline{\hspace{2cm}}$ $\int_1^5 -3 \, dx = \underline{\hspace{2cm}}$

7. (Lesson 1.4) Express the net area of the shaded region in Figure 2 below with a definite integral. Then use the Fundamental Theorem to evaluate it.



8. (Lesson 1.4) Find the equation of the line in Figure 3 above and express the net area of the shaded region with a definite integral. Then use geometry to compute it.
9. (Lesson 1.5)
- If an object travels along a line with constant velocity -22 m/s, then the general formula for the position of the object is $s = \int \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$.
 - If the object has initial position 253 m, then we can find the unknown constant C . In this case, the position function is $s = \underline{\hspace{2cm}}$.
 - Using the position function, we find that the object is at the origin at time $t = \underline{\hspace{2cm}}$.
 - The net change in the object's position (i.e., displacement) from time 8.25 s to time 13.75 s is $\underline{\hspace{2cm}}$.
 - The total distance traveled over the same time period is $\underline{\hspace{2cm}}$.
(Note: Your answers should not contain an absolute value.)
10. (Lesson 1.5) Suppose $v(t) = 2 - 3t$ is the velocity (in meters per minute) of an object in rectilinear motion.
- Sketch the graph of v on the interval $[0, 2]$.
 - The t -intercept of $v(t)$ is the time at which the velocity is zero. In this case, the t -intercept is $t = \underline{\hspace{2cm}}$.
 - Use the graph of $v(t) = 2 - 3t$ and geometry to find the displacement on $[0, 2]$.
 - Use the graph of $|v(t)| = |2 - 3t|$ and geometry to find the total distance traveled by the object on $[0, 2]$.